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Pepermans, Vincent; Chapel, Soraya; Heinisch, Sabine; Desmet, Gert

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Detailed numerical study of the peak shapes of neutral analytes injected at high solvent strength in short Reversed-Phase liquid chromatography columns and comparison with experimental observations Vincent Pepermans<sup>1</sup>, Soraya Chapel<sup>2</sup>, Sabine Heinisch<sup>2</sup>, Gert Desmet<sup>1,\*</sup> <sup>1</sup>Department of Chemical Engineering, Vrije Universiteit Brussel, Brussels, Belgium <sup>2</sup> Université de Lyon, Institut des Sciences Analytiques, UMR 5280, CNRS, 5 rue de la Doua, 69100, Villeurbanne, France (\*) Corresponding author E-mail: gedesmet@vub.be Keywords: numerical simulations, band broadening, injection profile, peak breakthrough 

### Abstract

We report on a numerical investigation of the different steps in the development of the spatial concentration profiles developing along the axis of a liquid chromatography column when injecting large relative volumes (>10 to 20% of column volume) of analytes dissolved in a high solvent strength solvent band as can be encountered in the second dimension (<sup>2</sup>D) column of a 2D-LC system. More specifically, we made a detailed study of the different retention and the axial band broadening effects leading to the double-headed peak shapes or strongly fronting peaks that can be experimentally observed under certain conditions in 2D-LC. The establishment of these intricate peak profiles is discussed in all its fine, mechanistic details. The effect of the volume of the column, the volume and the shape of the sample band, the retention properties of the analyte and the band broadening experienced by the analytes and the sample solvent are investigated. A good agreement between the simulations and the experimental observations with caffeine and methylparaben injected in acetonitrile/water (ACN/H<sub>2</sub>O) mobile phase with different injection volumes is obtained. Save the difference in dwell volume, key features of experimental and simulated chromatograms agree within a few %. The simulations are also validated against a number of simple mathematical rules of thumb that can be established to predict the occurrence of a breakthrough fraction and estimate the amount of breakthrough.

### 1. Introduction

As chromatography keeps being pushed by a demand for ever faster and more refined separations, more and more research efforts are devoted to two-dimensional LC (2D-LC), as this technique has the potential to produce peak capacities of several thousand in a practically affordable time [1-9] making the separation of difficult-to-resolve or complex mixtures easier and faster. During the transition of the sample from the first dimension (<sup>1</sup>D) to the second dimension (<sup>2</sup>D) column, some important problems such as dilution and solvent incompatibility effects arise when using a passive modulation method. In this approach, the <sup>1</sup>D-effluent is fractionated and directly injected into the <sup>2</sup>D, in most cases using a valve with multiple loops [10,11]. This often results in a loss of detector sensitivity and peak deformation in the <sup>2</sup>D [12-15]. To circumvent these problems, a lot of research efforts have been devoted to the active modulation between the two dimensions. One example is the use of trap columns [16-18] where the fractions of the effluent of the <sup>1</sup>D first get refocused, most often on a short column with a similar stationary phase as the <sup>2</sup>D column and are subsequently eluted using a solvent that is more compatible with the mobile phase used in the <sup>2</sup>D, potentially leading to an increase in sensitivity and solvent compatibility, and a lower injection volume. Active solvent modulation is another method that has been developed and investigated lately [19-21]. Here, by storing the <sup>1</sup>D effluent in a loop and splitting the <sup>2</sup>D mobile phase solvent, where one part goes through the loop and the other bypasses it, the fraction gets diluted before entering the <sup>2</sup>D column, which improves the solvent compatibility between the two dimensions. The idea to dilute the effluent of the <sup>1</sup>D column with a low elution strength liquid to induce appropriate focusing on the column's head has been first introduced by Oda et al. [22]. Other modulation methods are membrane assisted evaporation modulation [23], longitudinal thermal modulation [24], pulsed elution [18] and fractionated sampling and stacking [25].

To use these techniques more effectively and search for more universal methods of modulation, it is important to understand in detail what happens to an injected band inside the  $^2D$  column when the  $^1D$ -fractions are injected in this column. One of those factors is the solvent and injection solvent mismatch mentioned earlier, due to the fact that the injected species are dissolved in a solvent that is the effluent from the  $^1D$ , which often has a higher solvent strength than the starting mobile phase in the  $^2D$ . Another problem is that, given the column diameter ratio between the  $^2D$  and  $^1D$  (usually 1 to 2), the injection volumes in  $^2D$  are often too large to maintain the maximal efficiency of the  $^2D$  column. Generally, a 10% loss in efficiency is endured as soon as the variance of the injected band ( $\sigma^2v_{i,inj}$ ) makes up more than 10% of the expected column variance ( $\sigma^2v_{i,col}$ ), which is proportional to (1+k) $^2$ , where k is the retention factor, and hence smallest for high elution strength mobile phases. The effect of the above phenomena on the shape of the peaks eluting off the  $^2D$  column has already been thoroughly investigated theoretically and experimentally [15, 26-28]. Gritti [28] and Stoll et al. [15] also already demonstrated that the shape of the injection plug has a large effect on the eventual separation.

In the present study, we dig deeper into the processes leading to the obtained peak shapes by making a fully detailed (numerical) study of how an injected band is transformed inside the column as (part of) the analytes are first lagging behind the injection solvent band (because they are (slightly) retained by the stationary phase) and are subsequently accelerated again when they are picked up by the mobile phase gradient. To gain an insight in the axial, on-column evolution of the band, we use computer simulations [29,30] based on the numerical solution of the generally accepted advection-dispersion mass balance for chromatography [31]:

$$\frac{\partial C_t}{\partial t} = -u_0 \cdot \frac{\partial C_m}{\partial x} + D_{ax} \cdot \frac{\partial^2 C_m}{\partial x^2} \tag{1}$$

with 
$$C_t = (1+k) \cdot C_m$$
 (2)

and with 
$$k = K \cdot \frac{V_s}{V_m}$$
 and  $K = \frac{C_s}{C_m}$  (3)

wherein  $C_m$  and  $C_s$  are the analyte species concentration in resp. the mobile and stationary phase,  $u_0$  is the velocity of the mobile phase,  $D_{ax}$  is the axial dispersion coefficient, K is the partitioning coefficient, K is the time, K is the position in the column and K0 and K1 are the volumes of the mobile and the stationary phase respectively  $(K_s/V_m = (1 - \epsilon_T)/\epsilon_T)$  with K1 with K2 in all simulations). The expression in Eq. (1) is mathematically equivalent to the Craig-model approach developed by Rutan et al. [32], the only difference is that, whereas in the Craig-model the spatial discretization scheme is fixed and K2 order in nature, the more general approach in Eq. (1) allows for higher order accuracy schemes having a higher numerical accuracy.

The  $D_{ax}$  describing the degree of band broadening in Eq. (1) is related to the  $u_0$  and H via:

$$D_{ax} = \frac{u_0 H}{2} \tag{4}$$

- 113 Together with Eq. (1), we simultaneously also solve the advection-dispersion mass balance for the
- fraction of organic modifier  $(\phi)$ . In analogy with Eq. (1), this can be written as:

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$$\frac{\partial \phi}{\partial t} = -u_0 \frac{\partial \phi}{\partial x} + D_{ax} \frac{\partial^2 \phi}{\partial x^2} \tag{5}$$

- Eqs. (1) and (5) were solved simultaneously using a 4<sup>th</sup>-order Runge-Kutta numerical integration scheme
- to compute the evolution with time. During each step, the local  $\phi$ -values are used to compute and update
- the local value of the retention factor (k(x)), using either the LSS-model [33]:

$$k(x) = k_w \cdot e^{-S \cdot \phi(x)} \tag{6a}$$

- Where  $k_w$  is the retention factor in 100% water, S is the solvent strength parameter and  $\phi(x)$  is the local
- value of the fraction of organic modifier, or the more elaborate Neue-Kuss model [34]:

$$k(x) = k_w (1 + S_2 \cdot \phi(x))^2 \cdot e^{-\frac{S_1 \phi(x)}{1 + S_2 \phi(x)}}$$
(6b)

Where  $S_1$  is the slope for non-linear models and  $S_2$  is the curvature coefficient.

As discussed previously, the program not only shows the peak profile as a function of time (chromatogram) at the end of the column, but also provides a direct view on the evolution of the concentration  $\mathbb{O}$  with x, the axial location of the solute along the column. The effect of the retention parameters ( $k_w$ , S or  $k_w$ ,  $S_1$  and  $S_2$ )) is thoroughly investigated, as well as the effect of the volume and the shape of the injection plug and the effect of the column efficiency (via H and  $D_{ax}$ ). Finally, the program has been tested by comparing it with the experimentally observed breakthrough-curves at the end of a short reverse phase liquid chromatography (RPLC) column under conditions mimicking the  $^2D$  of an on-line LC x LC separation. Upon simple email request, the authors offer access to the code to

129 Matlab® users.

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- Experimentally, the effect has been investigated for two different compounds, methylparaben and
- caffeine, dissolved in a 50/50%v ACN/H<sub>2</sub>O and subjected to a mobile phase gradient going from 1 to
- 45 (v%/v%) ACN. Characteristic for the elution of these compounds is that, under the selected
- experimental injection conditions, they do not elute as a single peak but have a part eluting near the t<sub>0</sub>-
- time of the column (so-called breakthrough fraction), followed by a long tail connecting to a second
- peak eluting near the expected retention time of the analyte (retained part of the peak). Similar peak
- shapes have very recently also been reported by Weatherbee et al. [35], who found the exact peak shape
- to be strongly depending on the shape of the injection profile.
- 138 2 Materials and methods
- 139 2.1 Experimental set-up
- 140 The experiments were performed on an ACQUITY UPLC I-Class instrument from Waters Corporation
- (Milford, MA, USA) consisting of a binary solvent delivering pump (BSM), a sample manager with a
- 142 flow-through needle (SM-FTN) injector equipped with a 15 μL loop, a thermostated column oven, a
- photodiode-array detector (PDA) with a  $0.5~\mu L$  flow cell. An extension loop of  $100~\mu L$  was added to the
- injector. The measured dwell volume ( $V_D$ ) and extra-column volume ( $V_{ext}$ ) for this system were 210  $\mu L$
- and 12  $\mu$ L, respectively. The ACQUITY UPLC CSH C18 column (30 x 2.1 mm, 1.7  $\mu$ m) was purchased
- at Waters Corporation (Milford, MA, USA). Instrument control, data acquisition, and data handling were
- performed by MassLynx v4.1 software (Waters Corporation).
- 148 2.2 Solvents and samples
- 149 Deionized water was produced using an Elga Purelab Classic UV purification system from Veolia water
- 150 STI (Décines-Charpieu, France). LC-MS grade acetonitrile (ACN), methylparaben and caffeine were
- purchased from Sigma-Aldrich (Steinheim, Germany). LC-MS grade formic acid (FA) was purchased
- from Fischer scientific (Illkirch, France).

# 2.3 Chromatographic conditions

The column temperature was set at 80 °C, the flow rate was 1.5 mL/min, and gradient elution was used with 0.1% formic acid in water as solvent A (pH = 2.7) and 0.1% formic acid in ACN as solvent B. The gradient profile went from 1-45% B in 0.54 min (normalized gradient slope (s) of 4%). The caffeine and the methylparaben were dissolved in a 50/50% (v/v) ACN/H2O mixture. The chromatograms were recorded at 254 nm for methylparaben and 270 nm for caffeine with an acquisition rate of 40 Hz.

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# 2.4 Numerical methods

- Eqs. (1) and (5) were solved with a 4th-order Runge-Kutta integration scheme [36] implemented in
- Matlab<sup>®</sup>. Before implementing the Runge-Kutta scheme, the spatial derivatives appearing on the right-
- hand side of Eqs. (1) and (5) were first discretized using the following scheme (with y either C or  $\phi$ ):

$$\frac{\partial y_i}{\partial x} = \frac{1}{\Delta x} \cdot \frac{1}{6} (y_{i-2} - 6y_{i-1} + 3y_i + 2y_{i+1})$$
 (7a)

$$\frac{\partial^2 y_i}{\partial x^2} = \frac{1}{\Delta x^2} \cdot \frac{1}{12} \left( -y_{i-2} + 16y_{i-1} - 30y_i + 16y_{i+1} - y_{i+2} \right) \tag{7b}$$

- where  $\Delta x$  is the discretization step and i is the number of the cell in the column. Before and after the
- 165 column (i.e., for x<0 and x>L=3 cm), resp. 1800 and 9200 extra computational cells were added. In
- these cells, the retention factor k was kept at k=0 to represent that the packed region only extended
- between x=0 and x=L=3 cm.
- Zero-flux conditions ( $\partial C/\partial x = 0$  and  $\partial \phi/\partial x = 0$ ) were applied as the boundary condition at the first and last
- 169 computational cells (resp. situated at x=-1.4 cm and x=10 cm). In addition, it was always verified the
- species concentration never became significant near the first and last computational cells, such that all
- possible end effects were avoided.
- To implement the mobile phase gradient program, the  $\phi$ -value at x=0 ( $\phi_0$ ) was subjected to the
- 173 following condition:

$$\phi(x=0,t) = \phi_0 \qquad \text{for } t \le t_D$$
 (8a)

$$\phi(x = 0, t) = \phi_0 + \frac{\Delta \phi}{t_C} (t - t_0)$$
 for  $t > t_D$  (8b)

- where  $t_G$  is the gradient time and  $t_0$  is the void time. As the initial condition for  $\phi$  and  $C_t$ , an injection
- band containing the strong sample solvent (with  $\phi = \phi_S = 0.5$ ) and the analyte species (with C<sub>m</sub>=1) was
- defined in the region x<0 with the downstream part of the band just touching x=0, i.e. the simulations
- started when the downstream end of the sample band just reached the column inlet.
- To test the numerical accuracy of the model, a number of pure isocratic runs were made (see Fig. S-1 of
- the SM). These showed that the numerical procedure produces peak variances and hence plate heights

that are within 0.0000078% accuracy of the plate heights imposed in the model via the  $D_{ax}$ -coefficient (see Fig. S-1a in the Supplementary material, SM). Retention times were found to be within  $10^{-10}\%$  accuracy of the theoretically expected value.

In case of the simplified rectangular injections (used in the first part of the study to obtain the purest possible insight in the peak shapes without the complication of the effect of the complex shape of the injection band), the injection band was defined as a rectangle with given width, flanked by two semi-Gauss curves with a standard deviation ( $\sigma_x$ ) = 0.012 cm. These two Gaussian flanks were added to make the injection profile more realistic, but especially also to avoid the numerical instabilities one can expect from a perfectly vertical side-walls of a rectangle (concentration gradient= infinite). Given the strong sensitivity of the profiles on the exact shape of the injection band, more realistic injection band shapes were considered in the second part of the study. These were shaped using an expression developed by Gritti [28]:

$$C(0,t) = \frac{C_0}{1 + \exp\left(-\frac{t - t_{dwell} + \frac{V_p}{2F_v}}{\alpha_1}\right)} \cdot \left(1 - \frac{1}{1 + \exp\left(-\frac{t - t_{dwell} + \frac{V_p}{2F_v}}{\alpha_2}\right)}\right)$$
(9)

Wherein  $C_0$  is the concentration of the initial peak (can also be the fraction of organic solvent), t is the time the measurement is running,  $t_{dwell}$  is the dwell time in front of the column,  $V_p$  is the injected volume,  $F_v$  is the flow rate, and  $\alpha_1$  and  $\alpha_2$  are two fitting parameters.

This equation was first implemented in MS Excel® and subsequently incorporated into the Matlab® program.

#### 3. Results

Before proceeding, it is important to note that the injected species band and the profile of the fraction  $\phi$  of organic modifier in the sample solvent always have the same shape when they enter the column (see e.g., profile 1 in Figs. 1b,e) in any considered case. In the regions before and after the injection band,  $\phi$  is equal to the fraction of modifier ( $\phi_0$ ) in the dwell volume of the gradient (equal to  $\phi_0$ =0.01 in all cases). The fraction of modifier is highest ( $\phi = \phi_S$ ) in the parts of the injected band that enter the column undiluted. In all considered cases,  $\phi_S$ =0.5. Another important remark is that, while the conservation of mass is expressed via the total peak concentration ( $C_t$ ) (cf. Eq. 2), the response as measured by the detector is exclusively determined by the concentration in the mobile phase ( $C_m$ ), given the absence of a stationary phase in the detector.

Fig. 1 describes in full detail how the simulation of the evolution of the concentration in time and space can be used to understand how a given injected peak shape and volume can lead to a given chromatogram recorded at the end of the column. For the sake of simplicity, a simple rectangular injection profile with smoothened flanks (cf. Section 2.4) has been considered. In later figures, notably in Figs. 6-8, more realistic injection profiles are considered by applying Eq. (9). Fig. 1a is the response in time as observed at x=L, i.e., at the end of a 3 cm long column (L). Figs. 1b-c represent how the same injected band is distributed in space at different time intervals (note that the left hand side of the peak in the time domain corresponds to the right hand side of the peak in the space domain and vice versa). The numbers used to identify the timing of the different profiles in Figs. 1b-c are also copied onto Fig. 1a, allowing to reconstruct the observed concentration response at the detector line (cf. dashed vertical line) from the temporal evolution of the band profiles in space shown in Figs. 1b-c. Profile (1) shows the shape of the modeled analyte band peak just prior to arriving at the column's head.

Essential to understand the profiles in Figs. 1b-c is that, when a broad analyte band moves through the column, the species that are initially contained in the high-solvent strength solvent band can leave this band by means of two processes: 1) by means of their retention, which makes them move with a lower velocity than the u<sub>0</sub>-velocity with which the injection solvent band moves through the column and 2) by means of dispersion across the band flanks.

Considering the first process, which is by far much more important than the second, the slower migration velocity of the analytes obviously implies the analytes stay behind with respect to the sample band and hence "leave" the band through the upstream flank of the injection solvent band (Fig. 2a). The magnitude of this effect obviously depends strongly on the retention experienced by the analytes when dissolved in the injection solvent (k<sub>s</sub>=0.1685 in the present example). Once out of the injection solvent band, the species inevitably enter a low-solvent strength zone where they concentrate in the stationary phase. Considering the 2<sup>nd</sup> process, Fig. 2b shows that, whereas the dispersion process itself is substantially symmetrical (i.e., has an equal strength in the upstream and downstream direction), the effect on the peak profile can be expected to be asymmetric. Species leaving the band through its downstream flank by means of dispersion (double-headed dispersion arrow I) are suddenly strongly retained and drastically slow down. However, they are immediately caught up again by the high-solvent band following behind and moving with the u<sub>0</sub>-velocity (cf. large single-headed arrow). This creates a self-sharpening effect, which helps maintaining a steep species profile at the upstream flank of the band. On the other hand, species leaving the band through its upstream flank (dispersion arrow II), and thus entering a high retention zone, cannot benefit from a similar self-sharpening effect as there is no front of strong solvent following. As a consequence, these analytes stay behind permanently. In summary, both processes hence lead to situation where the band can be expected to "leak" species through its upstream flank and thus deposits a trail of retained species along the column axis.

Returning now to the spatial  $C_m$ -concentration profiles in Fig. 1b, it can be readily observed the species band continuously narrows in width as the analyte species gradually leave the sample solvent band through its upstream flank because of the slower migration velocity of the analytes (migrating with velocity  $u_0/(1+k_s)$  with  $k_s$ =0.1685 in the sample solvent) compared to that of the sample solvent (migrating with velocity  $u_0$ ). The latter basically retains its original shape (save for the gradual broadening of its side fronts because of the column band broadening) throughout its entire passage through the column (see Fig. 1e which has been put just underneath Fig. 1b for an easy comparison of the corresponding profiles). Comparing the  $C_m$ -profiles in Fig. 1b with the  $\phi$ -profiles in Fig. 1e in more detail, we see that the upstream flank of the analyte band and that of the sample solvent band coincide, while the downstream flank of the analyte band stays behind with respect of that of the sample solvent band, as a reflection of the lower migration velocity of the former. When the analyte band has become sufficiently narrow to have its upstream and downstream flank meeting, the further loss of analyte species not only leads to a further narrowing of the band, but also to a decrease in peak height (cf. profiles 4,5,6 in Fig. 1b). Note that the fact that the decrease in height between profiles 5 and 6 is smaller than that between profiles 4 and 5 is due to the absence of a stationary phase beyond the x=0.03 m-point.

Zooming-in on the bottom part of Fig. 1b (see expanded view added to Fig. 1a), it can be noted that the analytes that left the sample band form a trail of analyte species running from the column's head all the way up to the upstream flank of the sample solvent band.

Making now the link between the spatial profiles in Fig. 1b with the temporal response curve in Fig. 1a by linking the profile numbers, we see that the fraction of analytes that remained into the sample solvent band till the end of the column is recorded at the detector as the breakthrough part of the peak (indicated with letter A in Fig. 1a), with the rise and fall of this part of the breakthrough curve essentially occurring during the moments between profiles 4 (just before onset of breakthrough peak) and 6 (end of breakthrough peak). The breakthrough reaches its maximum close the moment relating to profile nr. 5, corresponding to the t<sub>0</sub>-time of the column. After the passage of this breakthrough part, the concentration of eluting analytes does not return to zero but stays at a small, yet clearly non-zero value because of the continuous (albeit slow) elution of the analytes species that dropped out of the sample solvent band.

While the peak profiles in Fig.1 b appear to lose mass (cf. reducing peak area), it is very important to note these profiles only represent the concentration  $C_m$  in the mobile phase, while the concentration  $C_s$  in the stationary phase is in fact K times (K=phase equilibrium constant) higher. Fig. 1d shows the stationary phase concentration  $C_s$  corresponding to the profiles shown in Fig. 1b. Near their upstream end, these profiles display a very sharp peak, rapidly transiting into a substantially flat part. As the sample band progresses through the column, this flat part gradually expands in width until the end of the column at x=3 cm is reached. The  $C_s$ -value in this flat part is dictated by the fact that the analytes in the sample solvent band have a concentration  $C_m=1$ . Since the retention factor  $k_s$  in the sample solvent

( $\phi_s$ =0.50) in the present example is equal to  $k_s$ =0.1685, the corresponding particle-zone equilibrium constant K is equal to  $K=k_0V_m/V_s=k(1-\epsilon_T)/\epsilon_T=0.3932$  (assuming  $\epsilon_T=0.7$ ). We can hence expect a C<sub>s</sub>concentration C<sub>s</sub>=K·C<sub>m</sub>=0.3932·1=0.3932 wherever C<sub>m</sub>=1 concentration in the injection band and this is indeed the level at which the flat part of the C<sub>s</sub>-profiles is situated. Upstream of the sample solvent band, the C<sub>s</sub>-concentration remains at this level, as there is no driving force to deplete the stationary phase. What does change is the C<sub>m</sub>-concentration, which, given the retention factor k<sub>0</sub> in the weak solvent  $(\phi_0=0.01)$  preceding and proceeding the sample solvent band is equal to  $k_0=17.75$ , can be expected to be  $K=k_0V_m/V_s=k(1-\epsilon_T)/\epsilon_T=41.42$  times lower than the C<sub>s</sub>-concentration. And as can be noted from the inset of Fig. 1b this is indeed the case. Turning now to the sharp peak at the upstream end of the C<sub>s</sub>profile, a detailed analysis of the profiles (data not shown) shows this is created when the upstream tail of the band enters the column. As  $\phi$  rapidly drops from  $\phi$ =0.5 to 0.01 in this tail part, the analyte species entering the column in this tail end slow down much more abruptly than their counterparts that entered the column earlier. This leads to a local accumulation of species, which is further enhanced by the fact that the analytes following behind do not experience this deceleration effect and keep on entering the column with an unretained velocity (no stationary phase before x=0). The subsequent profiles 2-6 in Fig. 1b and 1d show how this accumulated sharp peak slowly moves (in fact it does so with a velocity  $u_0/(1+17.55)$  given the fact that k=17.75 in the  $\phi$ =0.01 mobile phase in the present example.

At later stages of the elution process (cf. Figs. 1c and 1f), i.e., when the gradient program has increased the fraction of organic modifier to a sufficiently high level at the inlet of the column, the increase in solvent strength gradually releases the retained species that are distributed over the entire column length. As these species gradually dissolve again into the mobile phase, their velocity increases. And as the fraction  $\phi$  of organic modifier is higher on the left-hand side than on the right-hand side, the upstream situated species migrate faster than the downstream moving species, and a self-sharpening effect again establishes. As a consequence, the upstream side of the species band rapidly grows in height ('scooping-up effect"). Obviously, this self-sharpening effect is highest at the upstream end of the band, as this is where species pick up their highest velocity, but the effect nevertheless occurs over the entire length of the column, thus giving rise to an increase of the  $C_m$ -concentration over the entire extent of the species profile.

Subsequently focusing on the value of  $C_m$  along the vertical dashed line at x=0.03 cm (detector line) in Fig. 1c, it can be understood how the species concentration gradually increases at the detector when the spatial profiles 7-11 subsequently hit the detector line. The response at the detector obviously reaches its maximum shortly after the moment at which profile nr. 10 is established. Subsequently, the concentration at the detector rapidly drops to zero (cf. profile 11). This second peak top (cf. "B" in Fig. 1a) is further referred to as the retained peak, as it elutes near the time of elution expected based on the gradient program and the retention parameters of the analyte.

In summary, the entire process described above leads to a double headed-peak shape, with one maximum near the breakthrough peak and one maximum near the retained peak position (=position where analytes are expected to elute when the volume is sufficiently small). In between, the signal does not return to the baseline, as a continuous stream of analyte species that "leaked" out of the sample solvent band close to the end of the column keeps on eluting off the column, albeit at a low concentration and a low velocity ( $u=u_0/(1+17.75)$ ). For the sake of comparison, Fig. S2 in the SM shows that when the sample is dissolved in the solvent marking the onset of the gradient a single neat peak is obtained is in this case the analytes are so strongly retained they immediately leave the sample band when entering the column.

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Fig. 3 shows how strongly the profile recorded at the detector response depends on the retention parameters of the solute. Adopting the Neue-Kuss model, where the retention is described by kw (=retention factor in 100% water), S1 (=solvent strength parameter) and S2 (describes the curvature of the model) via  $k=k_w(1+S_2\phi)^2 \cdot e^{-S_1\phi/(1+S_2\phi)}$ , Fig. 3a shows that the broad, double-headed response profile similar to the one encountered in Fig. 1 is typically observed when kw is sufficiently low. For larger kw, the chromatogram narrows and ultimately, when kw is sufficiently large, displays the shape and elution time of a normally retained peak. This can be understood from the fact that, the lower k<sub>w</sub>, the lower the actual retention factor k<sub>s</sub> experienced by the species in the solvent sample band, and hence the further they can travel without leaving this band. If k<sub>w</sub> is sufficiently low and when the volume of the band is large enough, some of the sample species will still reside in the injection solvent band when this reaches the detector and are hence detected as a "breakthrough" part. In the extreme limit (k<sub>w</sub>=0), all species reach the detector together with the injection solvent band and there is only a breakthrough peak. In the other limit (k<sub>w</sub>=+ ∞), all species are so strongly retained at the inlet of the column that they immediately leave the injection solvent band, in which case there is no breakthrough part of the peak, and all species now elute within the retained part, reaching the detector by means of the gradient. The profile for the highest k<sub>w</sub> in Fig. 3a approaches this situation. For the intermediate k<sub>w</sub>-values, it is obvious to observe some mixed-mode behavior. The effect of S<sub>1</sub> (Fig. 3b) can be rationalized following the same reasoning as above. Since all cases have the same k<sub>w</sub>, the highest S<sub>1</sub>-values now correspond to the case producing the lowest retention factor k<sub>s</sub> experienced in the sample solvent, thus transporting the largest fraction of species along with the sample band through the column and creating the largest breakthrough curve (grey curve). The lowest S<sub>1</sub>-values obviously leads to the highest k<sub>s</sub>, such that the analyte species already leave the sample band at the column's head, and will therefore reach the detector by virtue of the mobile phase gradient as a normal chromatographic peak at the retention time predicted by the Neue-Kuss model (red curve).

Fig. 4 investigates the effect of the column's band broadening on the concentration profiles recorded by the detector (only zoom-ins of the breakthrough-fraction and the retained peak fraction are shown for the sake of compactness). All represented cases relate to the same rectangular injection band shape, and are compared to a base case (grey curve) where the band broadening (axial dispersion) for both the

sample solvent and the analyte is the same and represented by a value  $D_{ax}=3.86\cdot10^{-8}$  m<sup>2</sup>/s in Eq. (1). Keeping the axial dispersion coefficient of the analyte (Daxan) constant and gradually increasing that of the solvent (Dax,solv), which corresponds to the practically most relevant case, Figs. 4a shows that a larger Dax, solv tends to lower the breakthrough fraction while increasing (albeit it more moderately) the retained peak fraction. This can be understood as follows. The higher D<sub>ax,solv</sub>, the faster the sample solvent will mix with the surrounding low  $\phi$ -mobile phase. This leads to a reduction of the overall  $\phi$  in the band (especially near its ends), giving rise to larger fractions of the sample band that are subjected to a retention factor > k<sub>s</sub>, such that more species tend to leave the sample solvent and hence no longer reach the detector together with the breakthrough fraction in the sample solvent band. As more analyte species drop out, it is also physically straightforward that more species only pick up speed again when they are caught up by the gradient and hence reach the detector with the retained peak fraction. Increasing D<sub>axan</sub>, while keeping D<sub>ax,solv</sub> constant, the effect is smaller (Fig. 4b), basically boiling down to the regular effect an increased band broadening can be expected to have on a chromatographic peak: the higher the axial dispersion, the broader the peak. The increasing asymmetry and shift of the peak apex to earlier elution times of the breakthrough peak that can be observed with increasing Dax,an in Fig. 4b can be understood as follows (see also Fig. S-3 in the Supplementary material (SM) for a detailed study of the on-column  $C_{m-}$  and the  $\phi$ -profiles in case of the lowest and the highest  $D_{ax,an}$ ): while the downstream flank (=fronting end) of the analyte band can display its normal, unrestricted band broadening behavior as it is immersed in the high  $\phi = \phi_S$ -sample solvent prevailing to its right, the upstream flank C<sub>m</sub>-profile of the analyte band inevitably (because of the thermodynamic phase equilibrium that needs to be respected) coincides with the (steep) upstream flank of the sample solvent (see dashed vertical lines added to Fig. S-3). As a consequence, the drop in C<sub>m</sub> observed at the upstream flank is not due to the band broadening but is dictated by the drop in  $\phi$  along the upstream flank of the sample solvent band. This drop chases the analytes out of the mobile phase into the stationary phase. Since Dax, solv is kept constant in all elution profiles shown in Fig. 4b (and equal to the smallest considered D<sub>ax,an</sub>), the discrepancy between the unrestricted band broadening at the downstream flank of the analyte band and the drop in concentration along the steep  $\phi$ -curve at its upstream flank increases with increasing  $D_{ax,an}$ , hence the increasing asymmetry of the breakthrough peaks in the profiles obtained with increasing D<sub>ax,an</sub>.

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Increasing  $D_{ax,an}$  and  $D_{ax,solv}$  simultaneously (Fig. 4c), clearly a combination of both aforementioned effects is obtained, in agreement with one's physical expectations.

Obviously, the shape of the recorded elution profiles also depends strongly upon the injection volume (Fig. 5). The larger the volume of the sample solvent band, the larger the relative fraction of species in the breakthrough peak. This is due to the fact that, the wider the injection solvent band, the longer it takes the analyte to escape from the injection solvent, as it takes ever longer for the analytes entering the column near the downstream flank of the sample band (point A in Fig. 2a) to be overtaken by the upstream front of the sample band (point B in Fig. 2a). Under the conditions assumed in Fig. 5, the 50,

25, 15 and 12 µL injections are apparently wide enough to transport a fraction of the analytes through the column without having "leaked out" of the injection solvent band, thus displaying a breakthrough part. For the 50 µL injection, the breakthrough fraction is very large, while this fraction is only minimal for the 12 µL injection (cf. small bump around t=0.065 min in Fig. 5c). When the injection solvent band is small enough, all injected species leave the sample band before this reaches the end of the column, hence the absence of a breakthrough part in the elution profile for injection volumes 1, 5 and 10 μL. While the injection volumes ≥ 15 µL are large enough to spread the retained analyte species more or less uniformly across the entire column length during the passage of the injection solvent band (cf. situation for profiles 4, 5, 6 in Figs. 1b and 1e), the injection solvent bands with volumes < 12 µL "lose" all the analyte species they initially contained before reaching the end of the column. The latter can be noted from the fact that the profiles corresponding to these volumes only start to rise well after the t<sub>0</sub>time of the column, i.e., well after the injection solvent band has left the column. This can be understood from the fact that, the smaller the sample band, the earlier on in the column all analytes will have left the injection solvent band. As a consequence, these species will not have travelled very far into the column at the moment at which they are caught up by the gradient and will hence reach the detector later. This explains why the rise in concentration observed in Figs. 5b and 5d (=zoom-in of b) starts ever later when the injection volume decreases (a detailed analysis of the establishment of the black-coloured profile in Fig. 5d is shown in Fig. S-4 of the SM wherein profile 1 is the axial C<sub>m</sub>-profile at the moment of elution of the sample solvent band). Eventually, the 1 µL injection is so small that all species already dropped out of the injection solvent band in the very first fractions of the column. Consequently, they all basically start at the same starting point when they are picked up by the gradient and hence reach the detector as a "normal" Gaussian peak without any fronting.

In fact, the conditions for the occurrence of a breakthrough peak can, with reference to Fig. 2a, easily be determined as follows, at least when neglecting the secondary effects originating from the band broadening process (most prominent for small injection volumes). Consider an analyte entering the column at the most downstream end of the sample band (point A). This will move with a velocity  $u_A=u_0/(1+k_s)$  and will, since  $u_A< u_0$ , therefore eventually be caught up by the upstream flank of the injection solvent band which travels at a velocity  $u_0$ . Denoting the time at which point B catches up with point A is time  $t^*$ , we can now express that this is the moment at which both points have reached the same position  $x=x^*$  in the column:

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$$x^* = u_0 \cdot t^* = w_{p,col} + u_A \cdot t^*$$
 (10)

wherein  $w_{p,col}$  is the width of the band when present in the column and in contact with a stationary phase with retention factor  $k_s$ .

418 Replacing  $u_A$  by its relation to  $u_0$  in Eq. (10), it is found that:

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$$t^* = \frac{w_{p,col}}{u_0} \cdot \frac{1 + k_s}{k_s} \tag{11}$$

Since the analytes at position A will be the last species leaving the injection solvent band (cf. Fig. 2a), we can express that there will always be a fraction of the analytes traveling through the column with the injection solvent band as long as the time t\* is not reached within the residence time of the sample solvent band. Translating this into distance, we can state that the response at the detector will display a breakthrough fraction when the catching up point x\* is situated after the detector, or x\*>L. Hence combining Eqs. (10) and (11), we find:

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$$x^* = u_0 \cdot t^* = w_{p,col} \frac{1 + k_s}{k_s} > L$$
 (12)

Translating the on-column peak width into the on-column peak volume ( $V_{p,col}$ , assuming for simplicity a rectangular band shape) and comparing it to the injected peak volume ( $V_{p,inj}$ ) measured before entering the column, considering that  $V_{p,col}=A\cdot\epsilon_T\cdot w_{p,col}=V_{p,inj}/(1+k_s)$ , while the column void volume ( $V_{0,col}$ ) can be written as  $V_{0,col}=A\cdot\epsilon_T\cdot L$ , the condition to have a detector response with a breakthrough part expressed by Eq. (12) can simply be rewritten as:

$$V_{p,inj} > V_{0,col} \cdot k_s \tag{13}$$

In case of a Gaussian-shaped band with  $w_{p,col}$ =4 $\sigma$ , the right-hand-side of Eq. (13) needs to be multiplied with a factor 0.63 (i.e.,  $\sqrt{2\pi}/4$ ).

 Eq. (13) implies that, for example, for a column with volume 100  $\mu$ L and an analyte displaying a retention factor of  $k_s$ =0.5 in the injection solvent, a breakthrough will occur for injection volumes exceeding 50  $\mu$ L. When  $k_s$ =0.1, breakthrough will already occur for injection volumes in excess of  $V_{p,inj}$ =10  $\mu$ L. The simulations in Fig. 5 have been carried out for a column volume of 72.7  $\mu$ L, and with  $k_s$ =0.1685. Applying Eq. (13) then predicts the critical injection volume lies around 12  $\mu$ L (12.25  $\mu$ L to be precise). The fact that the 12  $\mu$ L-case in Fig. 5 leads to a breakthrough that is barely significant (small bump around  $t_0$ -time in Fig. 5c) hence shows the simulations and the simple model developed above are in excellent agreement.

Using a similar calculation, it can be shown that the condition for which all sample species leave the sample band "early", defined here as having left the band within a distance not exceeding the initial width of the sample solvent band  $w_{solv}$  (with  $w_{solv} = V_{inj}/\epsilon_T \cdot A = w_p*(1+k_s)$  wherein  $w_p*$  is the initial width of the species band), is simply given by:

$$447 k_s \ge 1 (14)$$

To prove Eq. (14) it suffices to replace L by  $w_p$  on the right-hand side of Eq. (12).

Similarly, it can be demonstrated (replacing L by 2L on the right-hand side of Eq. (12)) that the condition leading to a breakthrough peak bringing half of the species to the detector while the other half of the band then reaches the detector at the expected retention time is given by:

$$V_{p,inj} = 2. V_{0,col} \cdot k_s \tag{15}$$

Eq. (15) predicts this condition corresponds, for the presently considered case with  $V_{0,col}$ =72.7  $\mu L$  and with  $k_s$ =0.1685 to an injection volume of  $V_{p,inj}$ =24.5  $\mu L$ . It has been verified by calculating the area under the breakthrough part of the 25  $\mu L$  injection (orange-coloured curve) in Fig. 5 that this part of the curve indeed carries about 50% of the total injected mass (53% to be precise in represented case).

An important remark to be made concerning Fig. 5 is that, while this figure illustrates the effect of the injection volume  $V_{p,inj}$  on the peak shape, the ultimate parameter controlling the detector response is in fact the relative peak volume, i.e.  $V_{p,inj}/V_{0,col}$ . This is shown in Fig. S-5 of the SM where the response to a 15  $\mu$ L injection in a column with a 72.7  $\mu$ L void volume overlaps fairly well with the response to a 30  $\mu$ L injection in a column with a 145.4  $\mu$ L void volume (at least provided the  $t_G$  and dwell time is doubled as well). The importance of the relative parameter  $V_{p,inj}/V_{0,col}$  can also be inferred from the fact that, when dividing both sides of Eqs. (13) and (15) by  $V_{0,col}$ , expressions depending only on  $V_{p,inj}/V_{0,col}$  and  $k_s$  are obtained. The small deviation between the two profiles in Fig. S-5 is due to secondary effects of band broadening which are not included in the simplified analysis in Eqs. (10)-(15).

Fig. 6 shows that not only the volume but also the actual shape of the injected band has an important effect on the resulting elution profile, with the shape of the tail (Fig. 6a) being significantly more important than the shape of the front (Fig. 6b). The explanation for this asymmetric behavior is the same as for the asymmetry discussed in Fig. 2b. Considering that the shape of the band flanks determines the amount of species that are present in a low  $\phi$ -mobile phase and are hence much more strongly retained than the species in the center of the band where  $\phi = \phi_S$ , it is physically straightforward to expect that the initial shape of the downstream flank will always be largely wiped out by the fact that the retained species in this flank are always caught up and thus accelerated again by the high  $\phi$ -region in the center of the sample band, while this self-sharpening catching-up effect does not occur at the upstream flank of the sample band. This implies the initial shape of the upstream flank is not rectified (even more, it will only spread out further by the column's dispersion) and hence directly determines the amount of analyte species staying behind the sample solvent band at each position along the entire column length. Obviously, this has a strong effect on the recorded elution profile for the short column (typical for 2D-LC) considered here. For example, Fig. 6a shows that, whereas a steep upstream flank leads to a narrow and high breakthrough peak, this breakthrough part no longer appears in case of a strongly tailed injection band (which is in fact a shape that is very relevant in practice [27]). This can be understood as follows: the more rectangular in shape, the larger the fraction of injected species that remain dissolved in the mobile phase with the highest  $\phi$  at any time during the band's migration, and hence also the higher the fraction that can be transported through the column with the injection solvent peak. The wider the tail, the lower the average  $\phi$ -value experienced by the migrating analytes and hence the more easily they leave the sample solvent band. When this average  $\phi$  falls below a certain threshold, all analytes leave the injection solvent band by retention before the sample band reaches the end of the column, as happens in case of the orange curve. In this case, all analytes have to wait for the gradient to pick up speed and hence reach the detector all around the normal elution time. This explains the order of the retained peak apexes just before t=0.4 min.

As explained above, the effect of the shape of the downstream flank is much smaller (Fig. 6b). The retained peak part of the elution profile is even completely insensitive to this shape. The only difference is notable for the breakthrough peak, which seems to be engaged in a "communicating vessel" exchange with a small bump eluting shortly after the breakthrough peak. The fact that it is precisely the initial parts of the elution profile which are affected by the initial band shape is physically expected, as the species present in these early eluting fractions must have reached the detector while residing in the injected sample band, and are therefore most affected by the shape of the latter. The establishment of the small bump just before t=0.25 min can be best understood from the subsequent axial distribution profiles recorded during the simulation (Fig. S-6). These show that, in this particular case, the last fraction of analytes leaves the sample solvent band just before the end of the column. In addition, the rate with which the analytes leave this band strongly increases just when the last fraction of analytes leaves the sample solvent band, as the average  $\phi$ -value experienced by the remaining analytes rapidly drops in these last moments (cf. average  $\phi$ -value for situation in Figs. S-6c-d in the SM). This accelerated drop-out rate gives rise to a local maximum in the species concentration in the stationary phase (C<sub>s</sub>), where the majority of the species are stored once they entered the low solvent-strength solvent  $(\phi_0)$ . The magnitude of this local maximum depends on the exact shape of the concentration gradients, such that it is more pronounced in some cases than in others. When this local maximum in the C<sub>s</sub>-profile is formed far away from the column end, i.e., when all analytes leave the sample band sufficiently far away from the column's end, the presence of this local maximum is already eroded by the ongoing dispersion processes by the time this fraction of the analytes reaches the detector. However, when the local maximum is formed close to the column's end, as is the case for the situation in Fig. 6b, the local maximum is maintained in the C<sub>m</sub>-concentration reaching the detector.

Fig. 7 and 8 investigate how well the simulations can represent the experimental data, taking caffeine (Fig. 7) and methylparaben (Fig. 8) as the test analytes and using the retention parameters (cf.  $k_w$  and  $S_i$ -values in Eq. 6) as measured via independent experiments. Important to note here is that the exact shape of the injected bands in the experimental part of this study is unknown to us and that the shape used here has been obtained by trying different variants of the peak shape represented by Eq. (9) and selecting the one providing the best agreement (see Fig. S-7a in SM for exact shape and degree of tailing and fronting of the considered injection profile). Whereas this profile has been obtained using Eq. (9), it should be

remarked it is very similar to the profiles observed in [35] (appears backwards, because Figure S-7 is shown on the distance axis, and the profiles shown in [35] are shown on a time axis).

As can be noted, the qualitative agreement is very good, especially in terms of the effect of the injection volume. The small deviations can be attributed to differences in extra-column band broadening (only simulated here by adding a perfect mixer with volume=  $6\,\mu$ L= volume detector+ post-column capillary), small uncertainties on the adopted relation between k and  $\phi$  as well as the aforementioned uncertainty on the exact injection band shape. The slightly larger breakthrough times in the experiments compared to the simulations are probably due to the fact that the acetonitrile in the sample solvent band is also slightly retained as well [37]. The largest deviation between theory and experiment is observed in the initial part of the 25  $\mu$ L-volume injection for methylparaben (blue curve in Fig. 8d). The deviation observed in this initial part is most probably due to the uncertainty on the exact shape of the injection band shape and the value of the retention parameters of the analyte, as the initial part of the response is most sensitive to the band shape and the retention parameters and we don't have an exact knowledge of them. The peculiar shape displayed by the blue curve in Fig. 8d between 0.2 and 0.3 min is caused by the same phenomena as already described via Fig. S-4 and S-6 of the SM. A detailed analysis of the present case is shown in Fig. S-7 of the SM.

### 4. Conclusions

Numerical simulations of the in-column axial distribution and migration of analyte species obtained by solving the general advection-dispersion mass balance for the analytes and the organic modifier used in the mobile phase and the sample solvent allow to understand the complex peak shapes that can be obtained when injecting large peak volumes (i.e., large with respect to the column volume) dissolved in a strong solvent, as can be the case in the <sup>2</sup>D in contemporary 2D-LC.

The axial concentration profiles produced by the simulations show how the elution under this condition basically occurs in two steps. In the first step, analyte species are transported along (part of) the column with the sample solvent band (unretained and hence moving at  $u=u_0$ ) leading to two fractions: 1) a fraction that reaches the detector together with the sample solvent (fraction only if Eq. (13) is satisfied) and 2) a fraction leaving the sample solvent band through its upstream flank and thus being spread out along (part of) the column length. In a second step, the species from fraction 2), being concentrated in the stationary phase and hence moving very slowly as soon as they dropped out of the sample band and entered the low modifier mobile phase following behind the sample solvent band, are eventually "scooped up" by the gradient which accelerates them towards the detector where they are recorded as a retained peak. The latter originates from the self-sharpening effect (band compression) of the gradient profile on the spread-out species that left the sample solvent band. Depending across what fraction of the column length the analyte species are spread out (in turn depending on the injection volume and the retention factor in the sample solvent  $k_s$ ), this retained peak can be very broad and fronted (large part of

column length covered with analyte species when the onset of the gradient reaches the column) or have a "normal" retained peak shape (analytes already left the sample band shortly after entering the column). When the analyte species are distributed along the entire column length (i.e., when Eq. (13) is satisfied), the peak signal does not return to zero between the breakthrough and the retained peak part, thus forming an uninterrupted, double-headed peak.

Given the short length of the investigated column, the eventually recorded peak shape not only depends strongly on the volume but also on the exact shape of the injected sample band, as was also observed by Weatherbee et al. [35]. The degree of band broadening experienced by the analytes and the sample solvent (which are in general different from each other) contributes significantly to the eventual peak shape as well.

Whereas the simulation model is based on first-principles physical relations, with all its parameters fixed by taking the values measured in independent experiments and whereas the use of an idealized injection (rectangular) profile was already sufficient to predict the main characteristics of the observed breakthrough (% of breakthrough, general shape of the profile, elution times of breakthrough and retained fraction), a one-on-one agreement with all the fine details of the experimental response curve requires a close representation of the injection profile. As the latter information was experimentally inaccessible in the present study (see ref. [38] for a possible way to measure the injection profile), this had to be done by tuning the  $\alpha_1$ - and  $\alpha_2$ -parameters in the literature expression in Eq. (9). As all the other model parameters were obtained from independent experiments, the good agreement between the simulation results and the experiments can hence be used to conclude there is a sound theoretical explanation for the experimental observations.

Finally, it is important to remark that the observed effects of prak splitting are difficult to avoid in the context of 2D-LC given the many constraints that need to be satisfied when optimizing 2D-LC separations. The most effective way to avoid them would be to use on-line dilution, flow splitting or trap columns. Most of these solutions however lead to a loss of sensitivity and require a change in set-up.

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## **Figure Captions**

- 770
- 771 Figure 1. Simulated mobile phase concentration (C<sub>m</sub>) profiles plotted (a) as a function of time as
- 772 recorded at x=L and (b-c) as a function of the distance recorded at different subsequent times (resp. at t
- 773 = 0.018 min, 0.036 min, 0.051 min, 0.058 min, 0.064 min, 0.109 min, 0.245 min, 0.354 min, 0.409 min,
- 774 0.445 min for profiles 1-11). Each number i added to (a) represents the C<sub>m</sub>-level recorded at the detector
- 775 line at the moment when profile i is observed in (b-c). (d) C<sub>s</sub>-profiles corresponding to profiles nr. 1-6
- in (b). (e-f)  $\phi$ -profiles corresponding to the profiles 1-12 in (b-c). Dashed vertical line=detector line.
- 777 Simulation parameters:  $S_1=12.5$ ,  $S_2=0.5$ ,  $k_w=20$ ,  $D_{ax}=3.86\cdot10^{-8}$  m<sup>2</sup>/s,  $u_0=0.0103$  m/s, H=7.5  $\mu$ m and
- 778  $V_{p,inj}=15 \mu L$ . The stationary phase is only present between the x=0 and the x=0.03 m-point. Gradient
- profile reaches head of column at t=0.14 min.
- 780 Figure 2. Conceptual drawing of migration process of sample solvent (bold line shape) and analyte
- 781 species band (stripe pattern) through column, showing (a) difference in migration speed between analyte
- moving at  $u=u_0/(1+k_s)$  and sample solvent band moving at  $u=u_0$  and (b) dispersion process to explain
- 783 difference in retention behavior between species dispersing out of the injection solvent band at the
- upstream (I) and the downstream flank of the band (see text for explanation). Double-headed arrows
- represent dispersion process. Single-headed arrows represent u<sub>0</sub>-velocity.
- 786 Figure 3. Simulated mobile phase concentration (C<sub>m</sub>) profiles as a function of time as recorded at x=L
- 787 in response to a rectangular injection band  $(V_{p,inj}=25 \mu L)$  for (a) a series of analytes with different  $k_w$ -
- value ( $k_w$ =10 (grey), 20 (blue), 50 (green), 100 (red)) and same  $S_1$ =10 and  $S_2$ =1, and (**b**) a series of
- analytes with different S<sub>1</sub>-value (S<sub>1</sub>=5 (red), 7.5 (green), 10 (blue), 12.5 (orange), 15 (grey)) and same
- 790  $k_w=20$  and  $S_2=1$ . Other conditions same as in Fig. 1.
- 791 Figure 4. Zoom-ins on the effect of the axial dispersion of the analyte (Dax,anal) and the solvent (Dax,solv)
- on the breakthrough-fraction and the retained peak fraction of the response profiles recorded as a
- function of time at x=L (rectangular injection band with  $V_{inj}=15 \mu L$ ). (a) constant  $D_{ax,an}=3.86\cdot 10^{-8} \text{ m}^2/\text{s}$
- and varying  $D_{ax,solv}=3.86\cdot10^{-8}$  m<sup>2</sup>/s (grey),  $7.72\cdot10^{-8}$  m<sup>2</sup>/s (green),  $1.16\cdot10^{-7}$  m<sup>2</sup>/s (blue),  $1.54\cdot10^{-7}$  m<sup>2</sup>/s
- 795 (orange),  $1.93 \cdot 10^{-7}$  m<sup>2</sup>/s (red). (b) constant  $D_{ax,solv} = 3.86 \cdot 10^{-8}$  m<sup>2</sup>/s and varying  $D_{ax,an} 3.86 \cdot 10^{-8}$  m<sup>2</sup>/s
- 796 (grey),  $7.72 \cdot 10^{-8}$  m<sup>2</sup>/s (green),  $1.16 \cdot 10^{-7}$  m<sup>2</sup>/s (blue),  $1.54 \cdot 10^{-7}$  m<sup>2</sup>/s (orange),  $1.93 \cdot 10^{-7}$  m<sup>2</sup>/s (red). (c)
- 797 case with  $D_{ax,solv} = D_{ax,an} = 3.86 \cdot 10^{-8} \text{ m}^2/\text{s (grey)}, 7.72 \cdot 10^{-8} \text{ m}^2/\text{s (green)}, 1.16 \cdot 10^{-7} \text{ m}^2/\text{s (blue)}, 1.54 \cdot 10^{-7} \text{ m}^2/\text{s (blue)}$
- 798 m<sup>2</sup>/s (orange),  $1.93 \cdot 10^{-7}$  m<sup>2</sup>/s (red). Other conditions:  $S_1 = 12.5$ ,  $S_2 = 0.7$ ,  $k_w = 20$ ,  $u_0 = 0.0103$  m/s and H=7.5
- **799** μm.
- Figure 5. (a) Rectangular injection bands with varying volume ( $V_{inj} = 1 \mu L(purple)$ , 5  $\mu L(grey)$ , 10
- 801  $\mu$ L(black), 12  $\mu$ L(red), 15  $\mu$ L(green), 25  $\mu$ L(orange), 50  $\mu$ L(blue)) leading to (b) a different mobile
- phase concentration (C<sub>m</sub>) profile recorded as a function of time at x=L. (c) Zoom-in at bottom-part of y-
- axis of (b). (d) Zoom-in of (c) near the elution time of the retained peak fraction. Other conditions same
- **804** as in Fig. 1.

805 Figure 6. Simulated mobile phase concentration (C<sub>m</sub>) profiles as a function of time as recorded at x=L 806 in response to an injection band with (a) profiles with various degrees of tailing in space:  $\alpha_2$ =0.01 (blue), 807  $\alpha_2$ =0.05 (orange),  $\alpha_1$ =0.10 (grey),  $\alpha_1$ =0.15 (green), and (b) profiles with various degrees of fronting in 808 space=  $\alpha_2$ =0.01 (blue),  $\alpha_2$ =0.03 (orange),  $\alpha_1$ =0.07 (grey),  $\alpha_1$ =0.15 (green). When one  $\alpha$  was varied the 809 other one was put on 0.01. Other conditions:  $S_1=12.5$ ,  $S_2=0.7$ ,  $k_w=15$ ,  $V_{inj}=20$   $\mu L$ ,  $u_0=0.0103$  m/s and 810  $H=7.5 \mu m$ . 811 Figure 7. Experimental (a) and simulated (b) breakthrough profiles for caffeine for three different peak 812 volumes (36 μL (red), 14 μL (green) and 0.7 μL (blue)). (c,d) zoom-in on lower part of y-axis of (a,b) respectively. Adopted retention parameters: k<sub>w</sub>=11, S<sub>1</sub>=24, S<sub>2</sub>=2, u<sub>0</sub>=0.0103 m/s and H=7.5 μm. 813 814 Gradient conditions: 1-45% B in 0.54 min (normalized gradient slope s of 4%). Injection profile (see Fig. S-7a of the SM) with  $\alpha_1$ =0.03,  $\alpha_2$ =0.2,  $t_{dwell}$ =8.4 s and  $F_v$ =1.5 ml/min in Eq. (9). 815 816 Figure 8. Experimental (a) and simulated (b) breakthrough profiles for methylparaben for three different peak volumes (72 µL (red), 27 µL (green) and 25 µL (blue)). (c,d) zoom-in on lower part of y-axis of 817 818 (a,b) respectively. Adopted retention parameters:  $k_w=23$ ,  $S_1=13$ ,  $S_2=0.7$ ,  $u_0=0.0103$  m/s and H=7.5  $\mu$ m. 819 Gradient conditions: 1-45% B in 0.54 min (normalized gradient slope s of 4%). Same injection profile 820 as in Fig. 7.

Fig 1: figure of how profiles are made

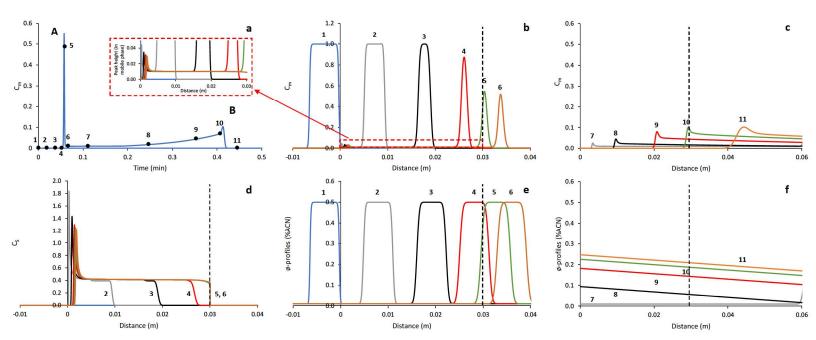
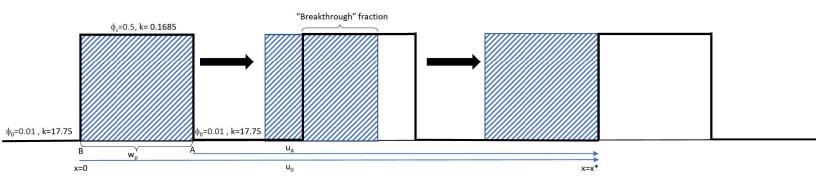


Fig 2: Process in column





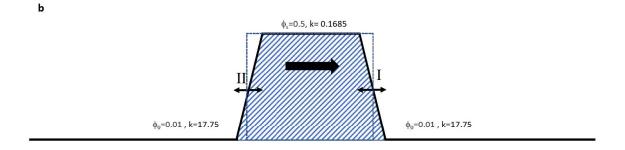


Fig 3: a) Influence kw, b) Influence S1

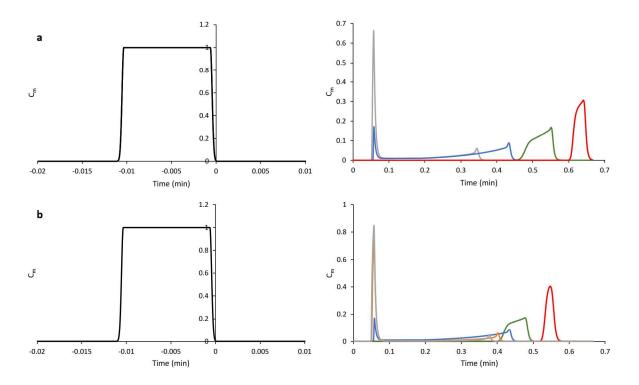


Fig 4: a) Influence Dax

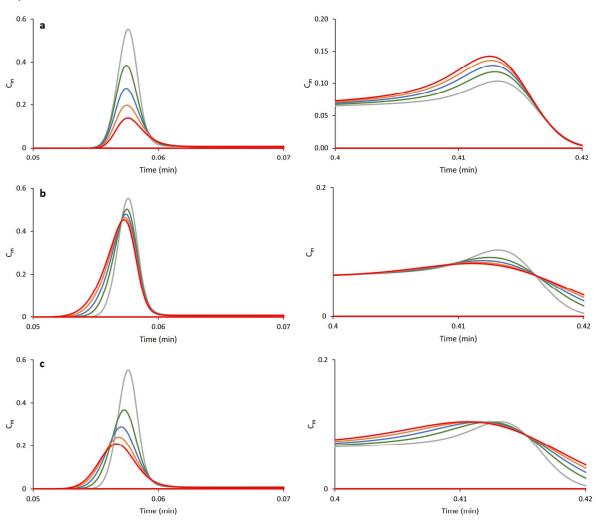


Fig 5: a) Influence injection volume

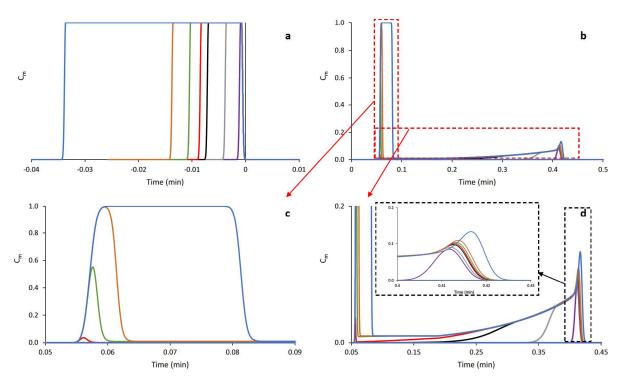


Fig 6: a) Influence tailing b) influence fronting

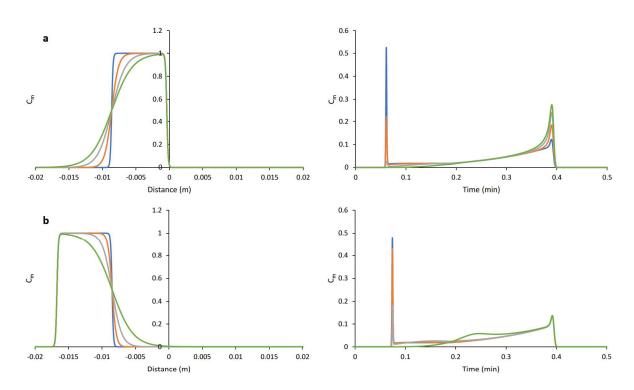


Fig 7 en 8 : Caffeine en Methylparaben

